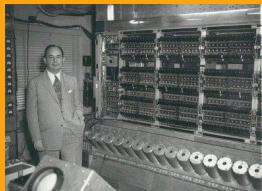


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Lecture 1

Computer systems - overview

Ch1 - Ch 8 [Sta06]
Some material from Comp. Org I

John von Neumann and EDVAC, 1949 



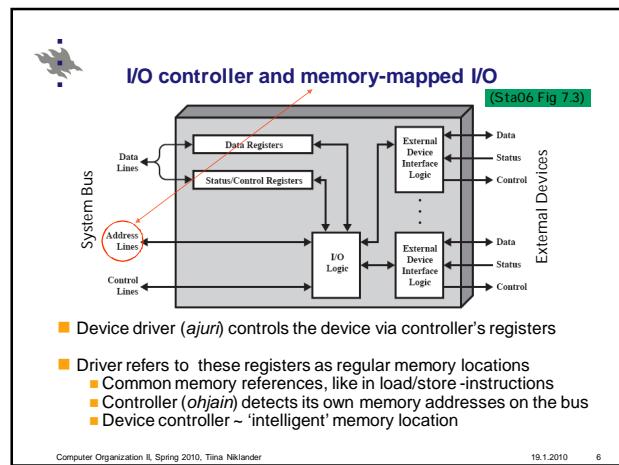
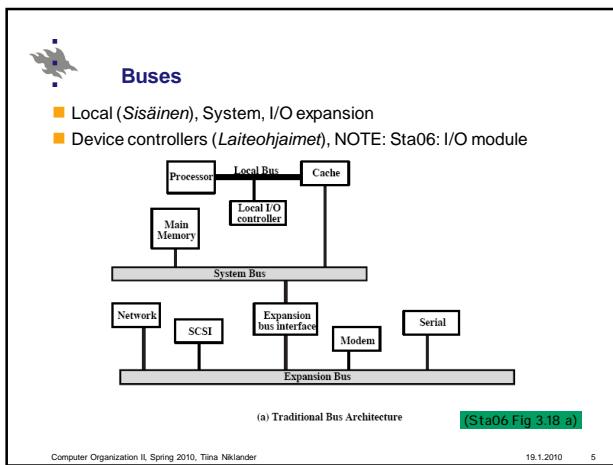
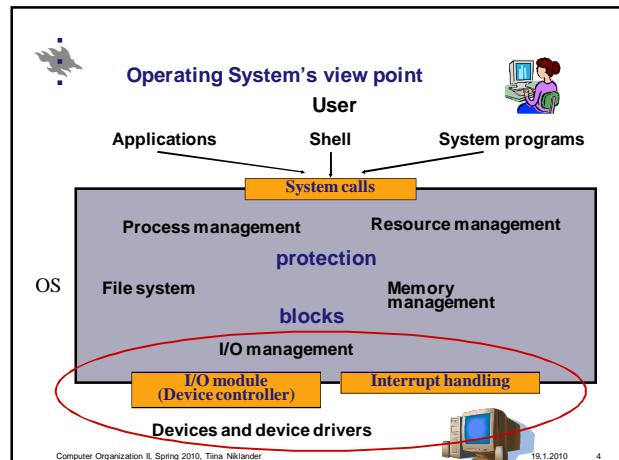
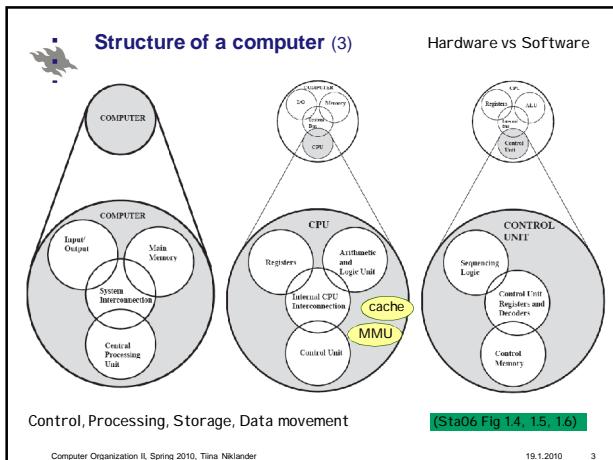
Content

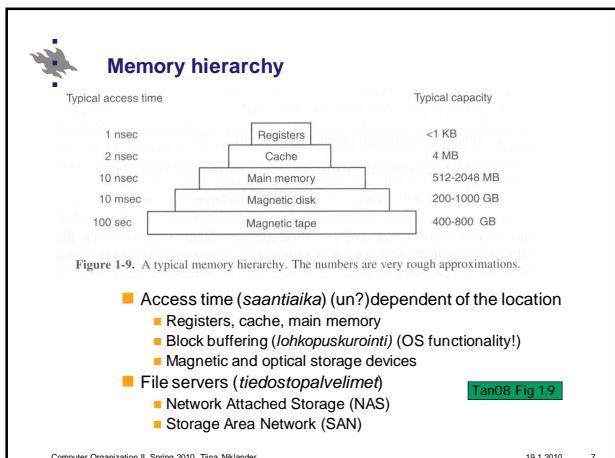
- Structure
- OS view point
- Buses
- I/O-controller and memory-mapped I/O
- Memory hierarchy
- I/O layers
- Privileged mode
- Instruction cycle
- Interrupt handling

■ Goal:

- Remind what has already been covered on Comp. Org I

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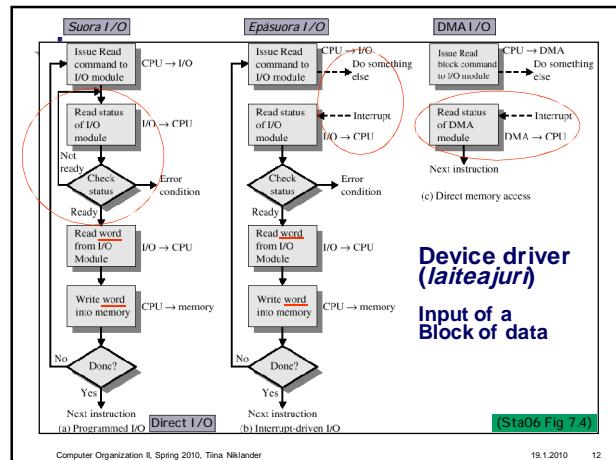
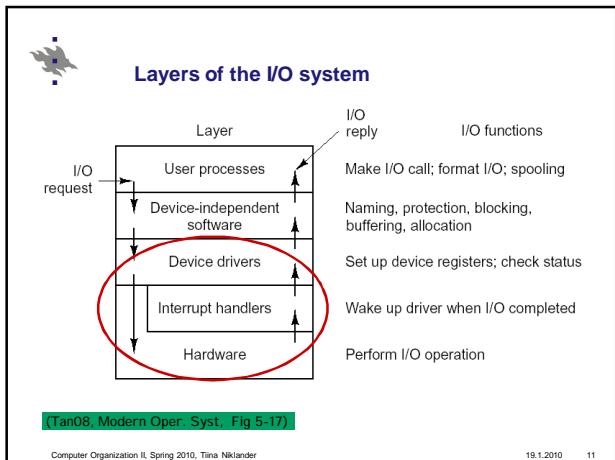
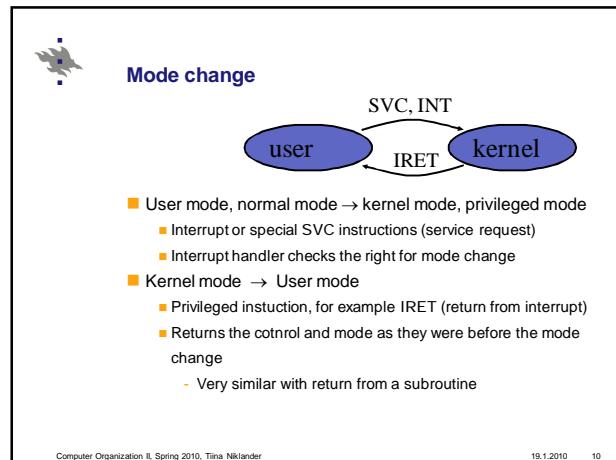
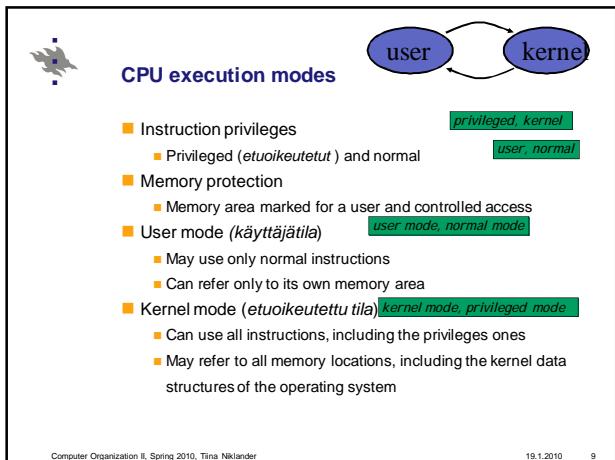
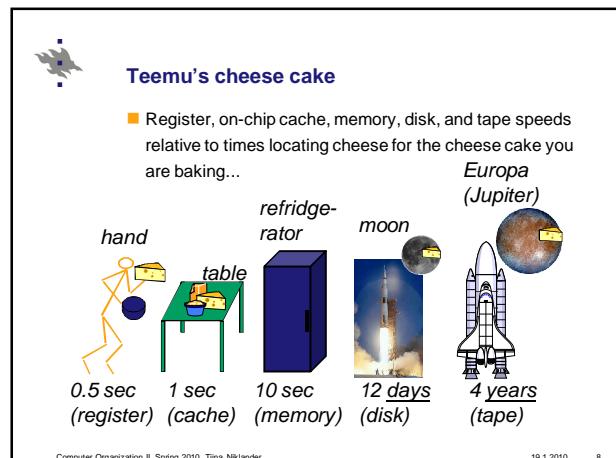


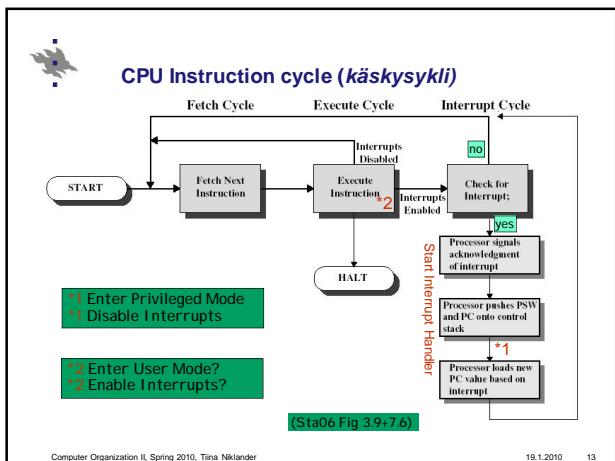


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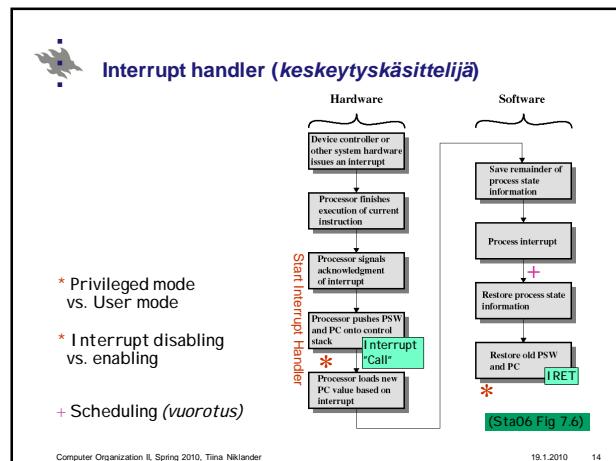
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Review Questions

- Course book: at the end of each chapter
 - Answers in the chapter text
- From earlier courses: (see web)
 - Mainly in Finnish, created in project in earlier courses
- Create yourself:
 - List the most difficult and/or important issues
- Think at least about these:
 - Main parts of a computing system?
 - DMA: principles and functionalites?
 - Obligatory hardware and its features?
 - How to make CPU to execute normal user program?
 - Operating system?

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Digital logic

Stallings:

Online Chapter 20

- Boolean Algebra
- Combinational Circuits
- Simplification
- Sequential Circuits

Self-study

Diagram:

A combinational logic circuit diagram showing inputs A, B, C and outputs M. The circuit consists of several logic gates (inverters, AND, OR, and three-state buffers) connected in a complex network.

Boolean Algebra

- George Boole
 - ideas 1854
- Claude Shannon ([graadu](#))
 - apply to circuit design, 1938
 - "father of information theory"

Topics:

- Describe digital circuitry function
 - programming language?
- Optimise given circuitry
 - use algebra (Boolean algebra) to manipulate (Boolean) expressions into simpler expressions

(piirisuunnittelu)

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Boolean Algebra

- Variables: A, B, C
- Values: TRUE (1), FALSE (0)
- Basic logical operations:
 - binary: AND (·) $A \cdot B = AB$, OR (+) $B + C$, NOT (̄) \bar{A}
 - unary: NOT (̄)
- Composite operations, equations
 - precedence: NOT, AND, OR
 - parenthesis
$$D = A + \bar{B} \cdot C = A + ((\bar{B})C)$$

integer arithmetics

ja	tai	ei
product	sum	negation

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Boolean Algebra

- Other operations
 - XOR (exclusive-or)
 - NAND
 - NOR

$$A \text{ NAND } B = \text{NOT}(A \text{ AND } B) = \overline{AB}$$

$$A \text{ NOR } B = \text{NOT}(A \text{ OR } B) = \overline{A+B}$$

- Truth tables

Boolean Operators							
P	Q	NOT P	P AND Q	P OR Q	P XOR Q	P NAND Q	P NOR Q
0	0	1	0	0	0	1	1
0	1	1	0	1	1	1	0
1	0	0	0	1	1	1	0
1	1	0	1	1	0	0	0

(Sta06 Table B.1)

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Postulates and Identities

- How can I manipulate expressions?
 - Simple set of rules?

Basic Postulates		
$A * B = B * A$	$A + B = B + A$	Commutative Laws <i>vaihdantalaki</i>
$A * (B + C) = (A * B) + (A * C)$	$A + (B * C) = (A + B) * (A + C)$	Distributive Laws <i>osittelulaki</i>
$1 * A = A$	$0 + A = A$	Identity Elements <i>neutraalialkiot</i>
$A * \overline{A} = 0$	$A + \overline{A} = 1$	Inverse Elements

Other Identities		alkion ja komplementin tulo ja summa
$0 * A = 0$	$1 + A = 1$	<i>tulo 0:n kanssa, summa 1:n kanssa</i>
$A * A = A$	$A + A = A$	<i>tulo ja summa itsensä kanssa</i>
$A * (B * C) = (A * B) * C$	$A + (B + C) = (A + B) + C$	Associative Laws <i>liitintäläйт</i>
$\overline{A - B} = \overline{A} + \overline{B}$	$\overline{A + B} = \overline{A} \cdot \overline{B}$	DeMorgan's Theorem

(Sta06 Table B.2)

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Gates (veräjät / portit)

- Implement basic Boolean algebra operations
- Fundamental building blocks
 - 1 or 2 inputs, 1 output
- Combine to build more complex circuits
 - memory, adder, multiplier, ...
- Gate delay
 - change inputs, after gate delay new output available
 - 1 ns? 10 ns? 0.1 ns?

<http://tech-www.informatik.uni-hamburg.de/applets/cmos/cmosemolo.html> (extra material)

yhteenlaskupiiri, kertolaskupiiri

A four-bit synchronous "up" counter

Tila 1-piiri: toggles on every clock pulse
Tila 2-piiri: toggles only if Q_1 is "high"
Tila 3-piiri: toggles only if Q_2 is "high"
Tila 4-piiri: toggles only if Q_3 is "high"
Tila 5-piiri: toggles only if Q_4 is "high"

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Describing the Circuit

Boolean equations

$$F = \overline{ABC} + \overline{ABC} + ABC$$

Truth table

Inputs			output
A	B	C	F
0	0	0	0
0	0	1	0
0	1	0	1
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	0
1	1	1	1

(Sta06 Table 20.3)

Graphical symbols (next slide)

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Sum-of-Products, Product-of-sums

Sta06 Fig 20.4

Sta06 Fig 20.5

Sta06 Fig 20.6

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Simple processor

http://www.gamezero.com/team-0/articles/math_magic/micro/stage4.html

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