Using Erlang for Distributed Simulation for the Derivation of Fault Tolerance Measures

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Outline

- Motivation
- Theory
- Erlang
- Simulation
- Conclusion

Motivation

▶ Why Fault Tolerance?

Motivation

- ► Why Fault Tolerance?
- Why Simulation?

Motivation

- Why Fault Tolerance?
- Why Simulation?
- Why Erlang?

Fault Tolerance Measures

Reliability, Availability, Safety, Trustworthiness



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Essential for Critical Systems

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- Masking, Nonmasking and Failsafe

Fault Tolerance Measures

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- Masking, Nonmasking and Failsafe
 - Masking: Safety and Liveness
 - Nonmasking: Liveness
 - ► Failsafe: Safety

Simulation

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- BUT: Requires (many) resources

Erlang

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- Functional



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- λ -calculus [Barendregt and Barendsen, 2000]



- Distributed
- Concurrent
- Functional
- λ-calculus [Barendregt and Barendsen, 2000]
- pure (no side-effects, lazy evaluation) and eager

Functional Languages

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- Parallelization by modularizing programs
- Easy to verify

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Model Distributed System as Markov Chain





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- Solution: Partition state space



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- Problem: Abstraction hinders accuracy of results derived tremendously

Theory

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- Advantage: results are proven...
Erlang 1/5



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Erlang 1/5



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- Hot Code Plugging

Erlang 2/5

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- No variable declarations => duck types
- Prolog Style Syntax, but not a logic language!

```
\label{eq:linear} \begin{split} &-module(math).\\ &-export([fac/1]).\\ &fac(N) \mbox{ when } N>0 \mbox{ -> } N \mbox{ * } fac(N-1);\\ &fac(0) \mbox{ -> } 1. \end{split}
```

,,

```
Motivation
Theory
Erlang
Simulation
Results
Conclusion
```

```
-module(pingpong).
-export([start/0, ping/2, pong/0]).
ping(0, Pong_PID) ->
        Pong_PID ! finished,
        io:format("ping finished ~n", []);
ping(N, Pong_PID) \rightarrow
        Pong_PID ! {ping, self()},
        receive
                 pong ->
                         io:format("Ping received pong n", [])
        end.
        ping(N - 1, Pong_PID).
```

,,

end.

start() ->
Pong_PID = spawn(pingpong, pong, []),
spawn(pingpong, ping, [3, Pong_PID]).

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Simulation Framework 1/5

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easy to extend

Simulation Framework 2/5

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- event logging (if needed)
- choice of schedulers (three provided)
- Load balancing (each client a lightweight process, can be mapped to any processor/computer)

<pre>7> server:start(</pre>		
***********************	<i>.</i> %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%	******
*****	***************************************	*************
22222		%%%%%
22222	ADZZIZ	22222
99999	010001	99999
99999	u "1 0"	~~~~~ ~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~
66666 99999	0 1.0	66666 00000
66666		6666
2222		2222
***	Welcome to the Simulator For	%%%%%
%%%%%	Self-Stabilizing Distributed Algorithms	%%%%%
%%%%%		%%%%%
%%%%%	SERUER	%%%%%
22222		22222
222222222222222222222	<u>%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%</u>	*****
******	\$	*****
22222 INITIALIZA	TION-PHASE 1: CHOOSE ALGORITHM	22222
22222222222222222222	**************************************	*****
true		
%%%%% The follow	ing algorithms are available:	22222
%%%% [1]bfs		
22222 [2]dfs		
22222 [311e		
22222 [4]mute	v	
99999 Diazco opt	o ou the enguanciate number [n])	
66666 LTEARE GUT	er the appropriate number [N.]/	



Accuracy 1/2



This figure exemplifies availability for first 20,000 steps of an eight-processor system. The desired accuracy is reached if maximum the deviation within last n steps is lower than a certain threshold. The Results presented in the following feature about 1,000,000 steps per system node.

Accuracy 2/2



Strictness of accuracy guards is crucial for reliability of results!

Test Case: All Possible 4-node Graphs



We chose *depth first search* (DFS) and *breadth first search* (BFS) algorithms for comparison with the analytic approach, executed on all possible 4-node graphs.

Breadth First Search - Simulation


Breadth First Search - Analysis



Depth First Search - Simulation



Depth First Search - Analysis



Conclusions

Derivation of fault tolerance measures by simulation

reason: analytic method is insufficient

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Conclusions

Derivation of fault tolerance measures by simulation

- reason: analytic method is insufficient
- method: simulation of self-stabilizing distributed algorithms
- features: modular design, scalability, performance, reliability of results



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